Information Theory

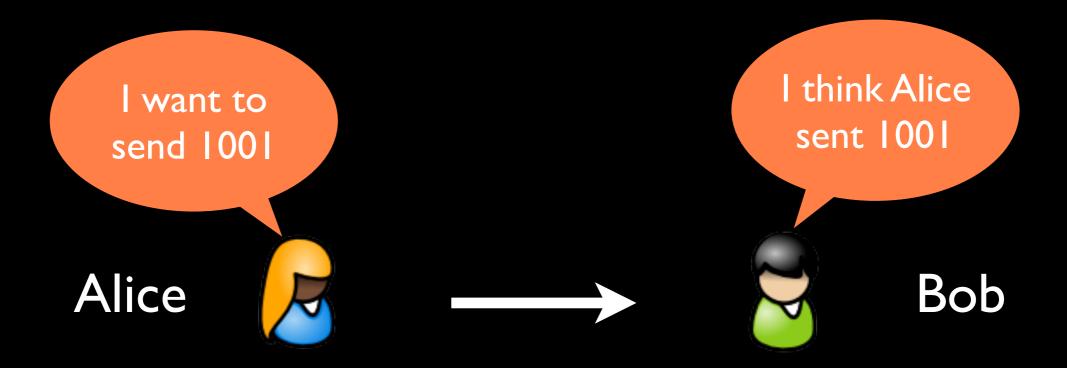


Master of Logic 2017/18 2nd Block, Nov/Dec 2017

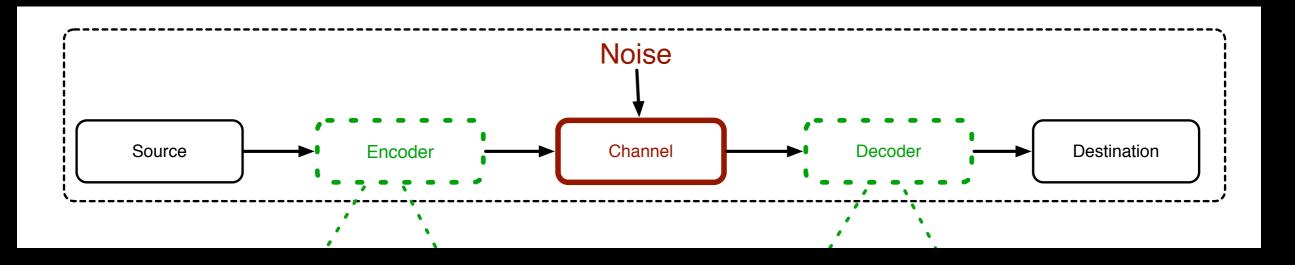
first class: Tuesday, 31 October 2017 9:00

http://homepages.cwi.nl/~schaffne/courses/inftheory/2017/

What is communication?



Generic communication block diagram



ECE 534 by Natasha Devroye

History of (wireless) communication

- Smoke signals
- 1861: <u>Maxwell's equations</u>
- I900: <u>Marconi</u> demonstrates wireless telegraph
- I920s: Edwin Howard Armstrong demonstrates FM radio







$$\oint \mathbf{E} \cdot d\mathbf{A} = \overset{\text{denc}}{\varepsilon_0}$$

$$\oint \mathbf{B} \cdot d\mathbf{A} = 0$$

$$\oint \mathbf{E} \cdot d\mathbf{s} = -\frac{d\Phi}{dt}B$$

$$\oint \mathbf{B} \cdot d\mathbf{s} = \mu_0 \varepsilon_0 \frac{d\Phi}{dt} + \mu_0 i_{enc}$$

Big Open Questions

mostly analog



- ad-hoc engineering, tailored to each application
- is there a general methodology for designing communication systems?
- can we communicate reliably in noise?
- how fast can we communicate?

Claude Elwood Shannon 1916 - 2001



Father of Information Theory
Bell Labs, professor at MIT

 arguably, the first person to really define and use "bits"

- juggling, unicycling, chess
- <u>ultimate machine</u>

The Bell System Technical Journal

Vol. XXVII

July, 1948

No. 3

A Mathematical Theory of Communication

By C. E. SHANNON

Introduced a new field: Information Theory

What is communication?

What is information?

How much can we compress information? How fast can we communicate?



Main Contributions of Inf Theory

Source coding

source = random variable



ultimate data
 compression limit is the source's entropy H

Channel coding

- channel = conditional distributions
- ultimate transmission rate is the channel capacity C

Reliable communication possible $\Leftrightarrow H < C$

Applications

- Communication Theory
- Computer Science (e.g. in <u>cryptography</u>)
- Physics (thermodynamics)
- Philosophy of Science (Occam's Razor)
- Economics (investments)
- Biology (genetics, bio-informatics)

Topics Overview

- Entropy and Mutual Information
- Entropy Diagrams
- Data Compression / Source Coding
- Perfectly Secure Encryption
- Error-Correction
- Zero-Error Information Theory
- Noisy-Channel Theorem
- Quantum Information Theory

Prerequisites

- contents of Basic Probability: Theory
- no programming skills required

