

PHILIPS



Stelsel en Regeltechniek FMT / Mechatronica

Deel 4: Stabiliteit van regelsystemen
Oefening: Polen / Nulpunten / Nyquist / Stabiliteit / Filters

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Cursus Stelsel en Regeltechniek Overzicht

Deel 1	Blok 1. Inleiding
Wo. 14-04	Blok 2. Basisprincipes modelvorming massa-veersystemen
	Blok 3. De regelaar als veer-demper combinatie
Deel 2	Blok 4. Frequentie-domein beschrijving
Wo. 21-04	Blok 5. Basisconcepten in de regeltheorie
Deel 3	Blok 6. Verdere inleiding in de regeltheorie
Wo. 28-04	Blok 7. De PD regelaar als veer-demper combinatie
Deel 4	Blok 8. Stabiliteit van regelsystemen
Wo. 12-05	Blok 9. De PID regelaar in het frequentie domein
Deel 5	Toepassing: PID regelaarontwerp
Wo. 19-05	
Deel 6	Extra regeltechniek
Wo. 26-05	

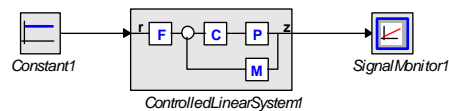
20-sim exercise

Exercises

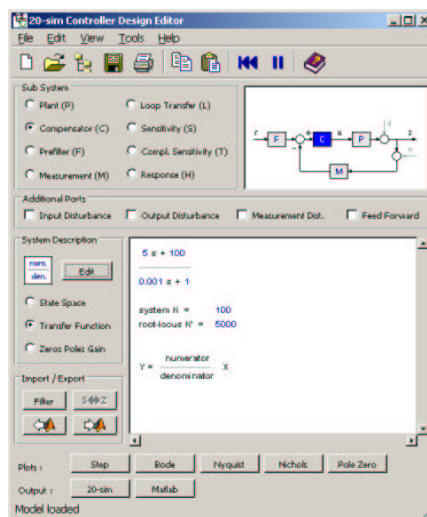
- Poles / Zeros
- Nyquist plot
- Stability (margins)
- Filter design (Lead-Lag & Notch)
- Loop shaping

Exercise Poles / Zeros

Take the system of last week:

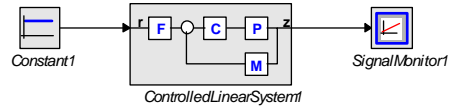


- Check the poles / zeros of:
 - Plant
 - Controller
 - Loop Transfer
 - (Compl.) Sensitivity
- Additional questions...



Exercise Poles / Zeros

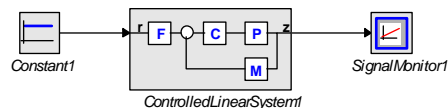
Additional questions:



- What is the relation between the poles / zeros of plant, controller and loop transfer?
- What is the relation between the poles / zeros and the Bode plot?
- Is the open loop stable? And the closed loop?
- What happens with the poles when you increase the gain of the controller?
- Investigate the root locus of the open loop (via Pole Zero)

Exercise Nyquist plot

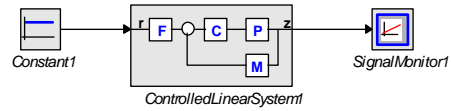
Take the same system:



- Sketch the Nyquist plots of (on paper):
 - Plant
 - Controller
 - Loop Transfer
 - (Compl.) Sensitivity
- Check with 20-sim...
- Is the closed loop stable? Why?
- What happens with the Nyquist plot for increasing gain?

Exercise stability margins

Take the same system:



- What are the stability margins for $K_p = 100$ and $K_v = 5$?
- Is the system well-tuned? How can it be improved?
- Increase K_p and K_v with a factor 100 and check margins...
- Compare the effect both in Nyquist and Bode!
- Compare also closed loop responses (step, Bode)
- Explain what you see...

Exercise filter design

Build a model of a linear filter via 'Insert – Linear System':

Exercise filter design

Assignment 1:

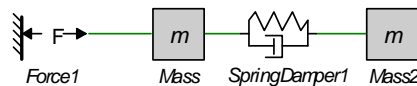
Design a lead lag filter with a maximum phase lead of 35° at 80 Hz, and a gain of 100 dB at 80 Hz.

Assignment 2:

Design a notch filter with a notch at 150 Hz with a 'depth' of 20 dB, while at the same time keeping the phase lag at 100 Hz at a minimum of 5°.

Exercise Loopshaping

Build the following double mass-spring system:



$$M_1 = 10 \text{ kg}$$

$$M_2 = 8 \text{ kg}$$

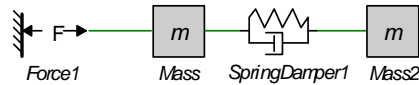
$$K = 10^6 \text{ N/m}$$

$$d = 100 \text{ Ns/m}$$

Make a linear system description of it via 'Model Linearization', with F as input and x_2 as output

Copy the system properties (Transfer Function) into the plant-model of a 'Controlled Linear System'

Exercise Loopshaping

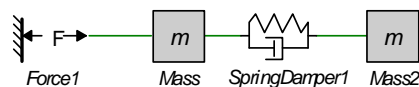


Assignment:

Tune this 4th order system with load feedback, using the available filters (leadlag, 2nd order low-pass, notch, ...). Maximize the bandwidth, while taking the “standard” gain and phase margin into account.

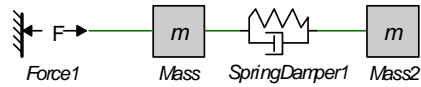
Target: BW = 10 Hz, PM = 30°, GM = -6dB

Exercise Disturbance Rejection



- Take the same mechanical system as before
- Start with the stabilising controller with bandwidth approximately 10 Hz; use lead-lag filter only
- Apply a sine (cosine) wave disturbance at plant input of amplitude 1 and with frequency 1 Hz; set setpoint to none
- Determine response of the system (20 mu)
- Improve the controller to achieve the specification: error less than 2 mu within 1 sec

Exercise Disturbance Rejection



Hint: use so-called
'inverse notch filter'
(implement via
'universal notch filter')

