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Hogeschool
van Utrecht

Systemen en Regeltechniek FMT / Mechatronica

Deel 6: Extra regeltechniek Blok 13: Digitale implementatie effecten

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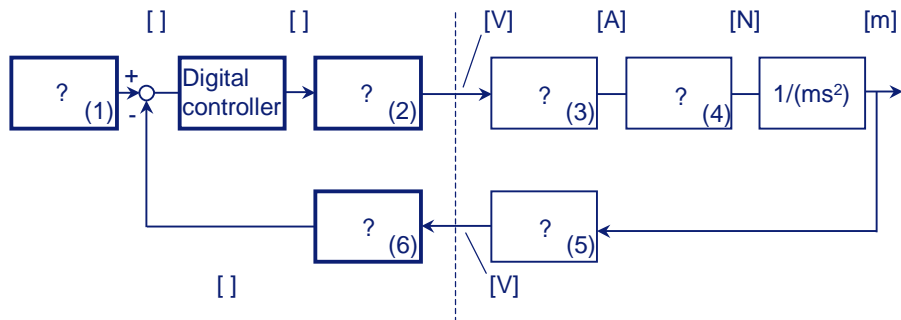
Cursus Systemen en Regeltechniek Overzicht

Deel 1	Blok 1. Inleiding
Wo. 14-04	Blok 2. Basisprincipes modelvorming massa-veersystemen
	Blok 3. De regelaar als veer-demper combinatie
Deel 2	Blok 4. Frequentie-domein beschrijving
Wo. 21-04	Blok 5. Basisconcepten in de regeltheorie
Deel 3	Blok 6. Verdere inleiding in de regeltheorie
Wo. 28-04	Blok 7. De PD regelaar als veer-demper combinatie
Deel 4	Blok 8. Stabiliteit van regelsystemen
Wo. 12-05	Blok 9. De PID regelaar in het frequentie domein
Deel 5	Blok 10. Bandbreedte en verstoringsonderdrukking
Wo. 19-05	Blok 11. Toepassing: Tunen PID regelaar mechatronisch systeem
Deel 6	Blok 12. Set-points en feedforward tuning
Wo. 26-05	Blok 13. Digitale implementatie effecten
	Blok 14. Terugblik / Evaluatie

How is a controller implemented?



Exercise: building blocks in digitally controlled system



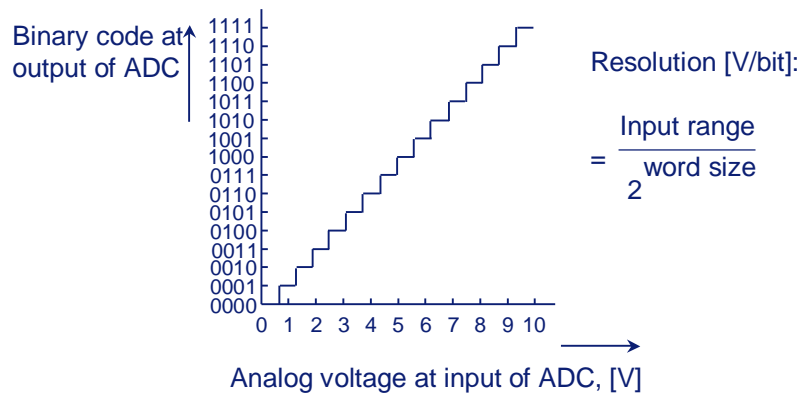
What elements do the question marks represent?

Contents of Sequel

- Digitizing a signal (ADC)
- Digital to analog conversion (DAC)
- Programming a digital controller
- Cause and effects of delay

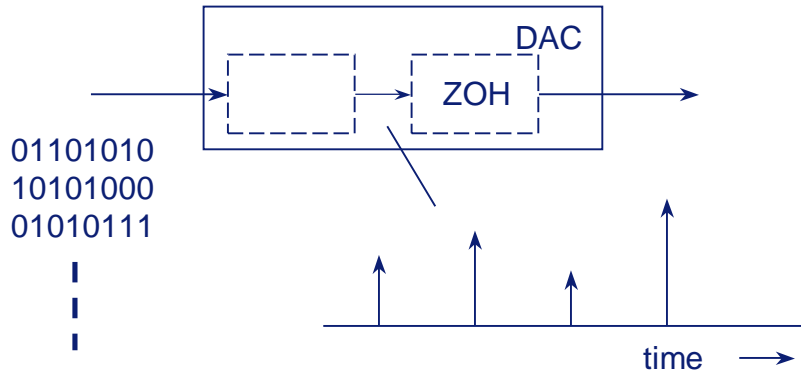
Digitizing a signal (ADC)

Discretizing in magnitude



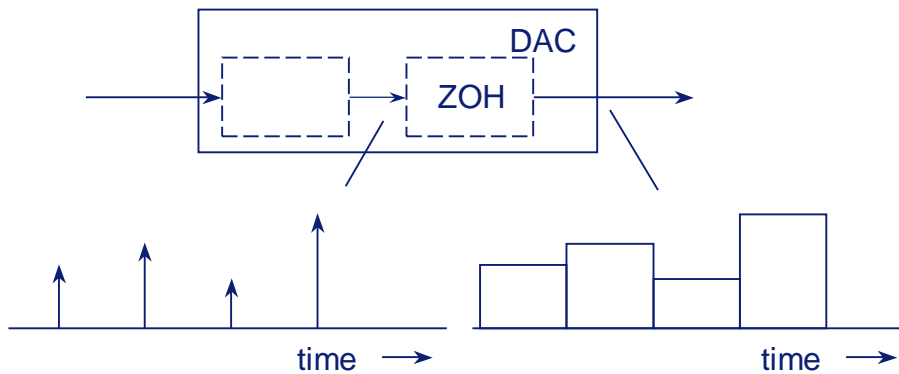
Digital to analog conversion (DAC)

Converting numbers into voltage



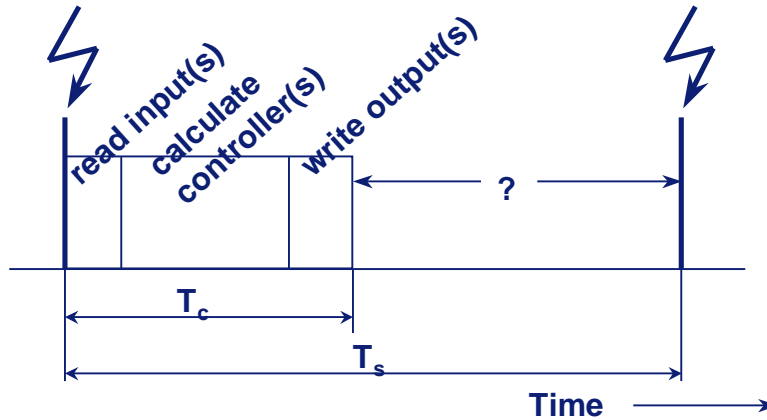
Digital to analog conversion (DAC)

Zero Order Hold



Programming a digital controller

Timing of the sample routine



Programming a digital controller

Example: PI controller

Continuous Time domain:

$$F_c(t) = K_p e(t) + K_i \int e(t)dt$$

Discrete Time domain:

$$F_c^k = K_p e^k + K_i (e^0 + e^1 + \dots + e^k) T_s$$

$$F_c^{k+1} = K_p e^{k+1} + K_i (e^0 + e^1 + \dots + e^k + e^{k+1}) T_s$$

$$F_c^{k+1} = K_p e^{k+1} + K_i (e^0 + e^1 + \dots + e^k) T_s + K_i e^{k+1} T_s$$

$$F_c^{k+1} = F_c^k + K_p (e^{k+1} - e^k) + K_i e^{k+1} T_s$$

Cause and effects of delay

Delay in digital system caused by:

- Time needed to calculate new actions (force) as response to new inputs (position errors), called T_c
- Lag effect in the DA conversion (ZOH)

So, in total delay complies to:

- $T_{\text{delay}} = T_c + 0.5 \cdot T_s$

Remark:

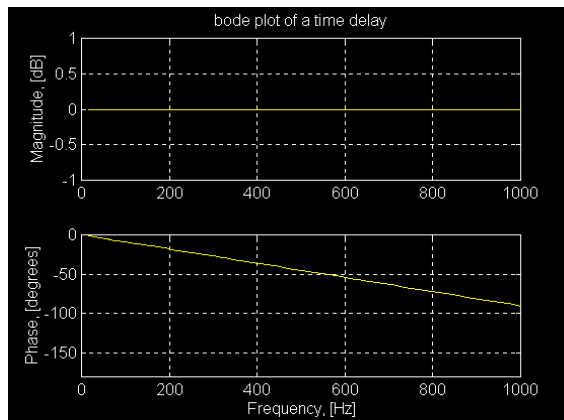
- Transfer function of delay with time T: $H_{\text{delay}}(s) = e^{-Ts}$
- FRF of delay with time T: $H_{\text{delay}}(\omega) = e^{-j\omega T}$

Cause and effects of delay

$$H_{\text{delay}}(\omega) = e^{-j\omega T}$$

Amplitude = 1

$$\text{Phase} = -T_{\text{delay}} \cdot f \cdot 360$$

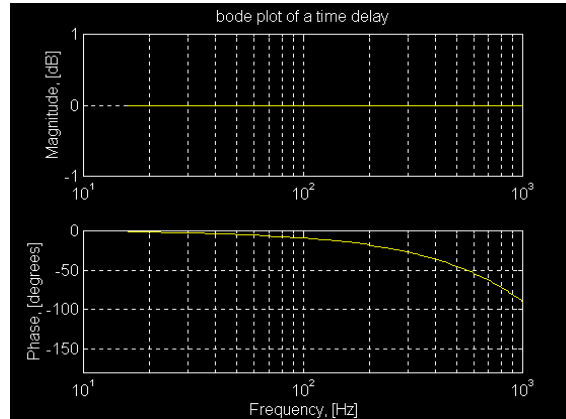


Cause and effects of delay

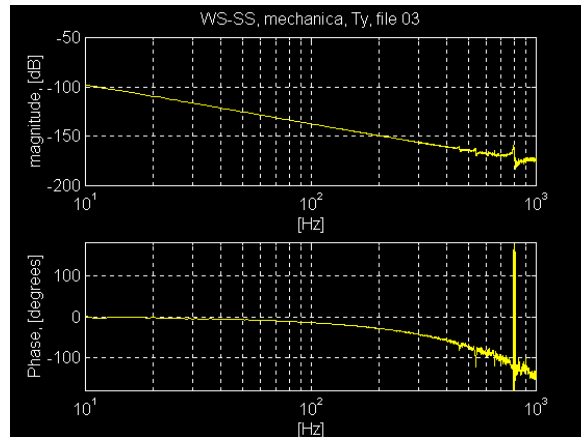
$$H_{\text{delay}}(\omega) = e^{-j\omega T}$$

Amplitude = 1

Phase = $-T_{\text{delay}} \cdot f \cdot 360$

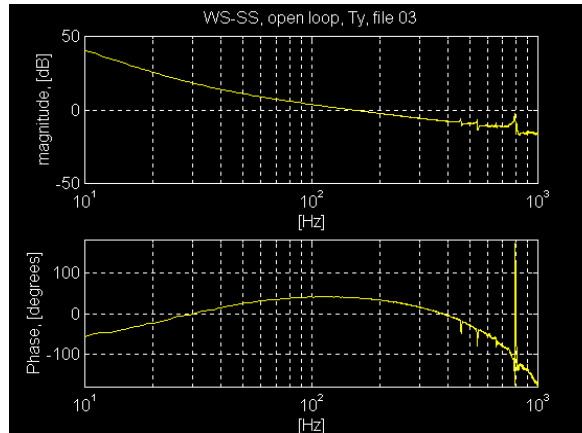


Cause and effects of delay



What is the calculation delay if $T_s = 400 \mu\text{sec}$?

Cause and effects of delay



At what sample rate would the phase margin be 5 degrees larger?

Summary

- Building blocks of control loop
- Digital controller implementation:
 - Digitizing the input signal (ADC)
 - Digital to analog conversion of output (DAC)
 - Programming a digital controller
 - Cause and effects of delay
- Delay is phase lag => reduced PM

